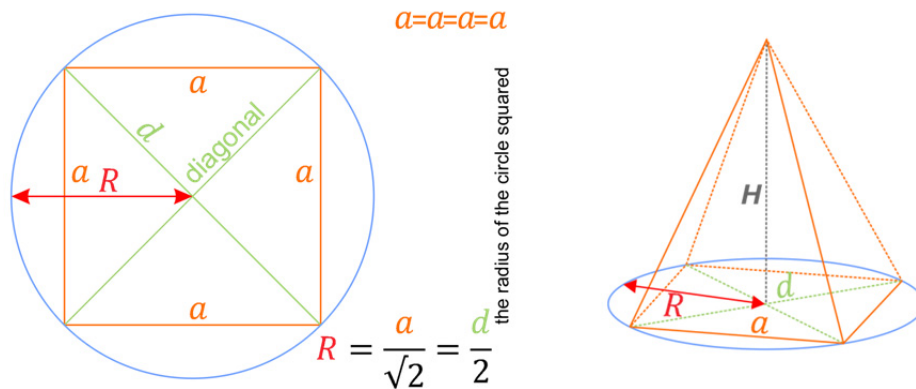


Regular quadrangular pyramid

Sides are equal and equilateral triangles



Pythagoras' theorem $a^2 + a^2 = d^2$

Sample need length of the edge 100 mm

$$H = \frac{1}{\sqrt{2}} \times a = \frac{1}{1,41421356237} \times 100 = 0,70710678118 \times 100 = 70,710678118 \text{ mm}$$

$$R = \frac{a}{\sqrt{2}} = \frac{d}{2} = \frac{\sqrt{(100^2 + 100^2)}}{2} = \frac{141,421356237}{2} = 70,7106781185 \text{ mm}$$

$H \approx R$? Have the mathematical case, no solution is $H = \frac{R}{2} = 35,355339059 \text{ mm}$.

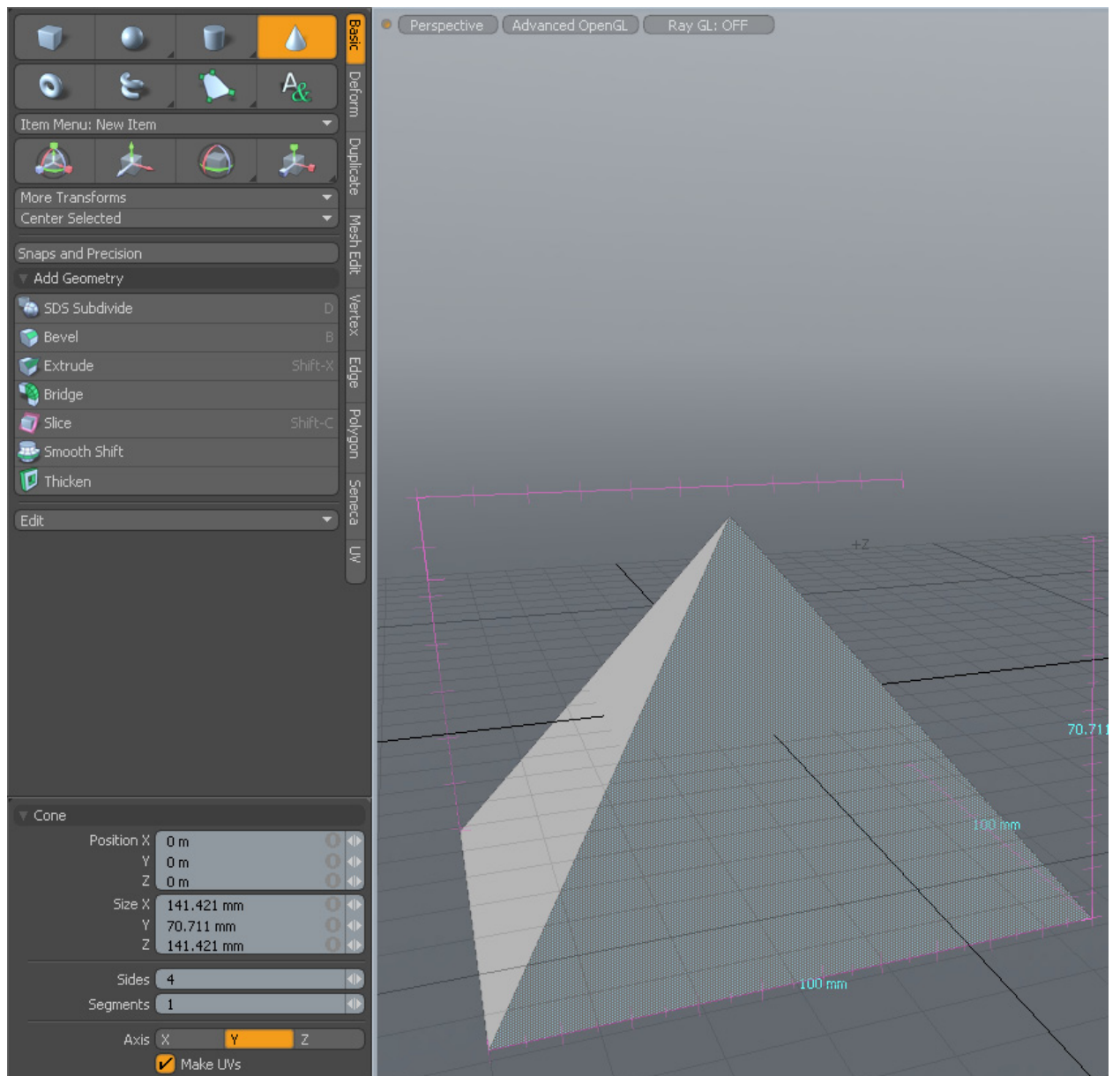
In this case, we see a clear problem with the estimated values, so I advise you to use the doubled value, and then perform the necessary scaling.

$R = 141,421356237 \text{ mm}$ (for XZ axis – if length edge 100 mm)

$$H = \frac{141,421356237}{2} = 70,7106781185 \text{ mm} \text{ (for Y axis - height of the pyramid)}$$

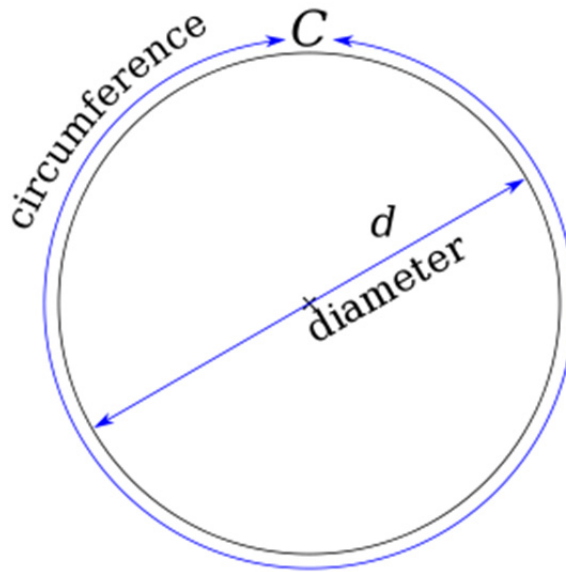
Now you need to go back to the original settings, apply scaling to 50 percent (or at any convenient value to you).

Sample: Activate action center, set all value as 0-0-0, and scale to 50 percent, and rotate geometry 45 degrees on the Y axis. Regular pyramid with the required length edges ready.



The Cheops pyramid ratio

Sum of the four edges the base of the pyramid is the length of a circle whose radius is equal to its height.



to calculate the height

Sample need bottom based edges 100 mm

$$C = a + a + a + a = 100 \times 4 = 400 \text{ mm}$$

$$d = \frac{C}{\pi} = \frac{400}{3,1415926535897932384626433832795} = 127,32395447351626861510701069801 \text{ mm}$$

$$R_H = \frac{d}{2} = 63,661977236758134307553505349006 \text{ mm this } H \text{ (height of the pyramid Y axis)}$$

$R_{Base} = 141,421356237 \text{ mm}$ (for XZ axis – if length edge 100 mm) - formula for calculating the circumference of the described see above

Do not forget - this is twice the value of modeling primitives cone!

If we look we see [Wikipedia](#):

Height – 146,5 meters (481 ft.), ancient

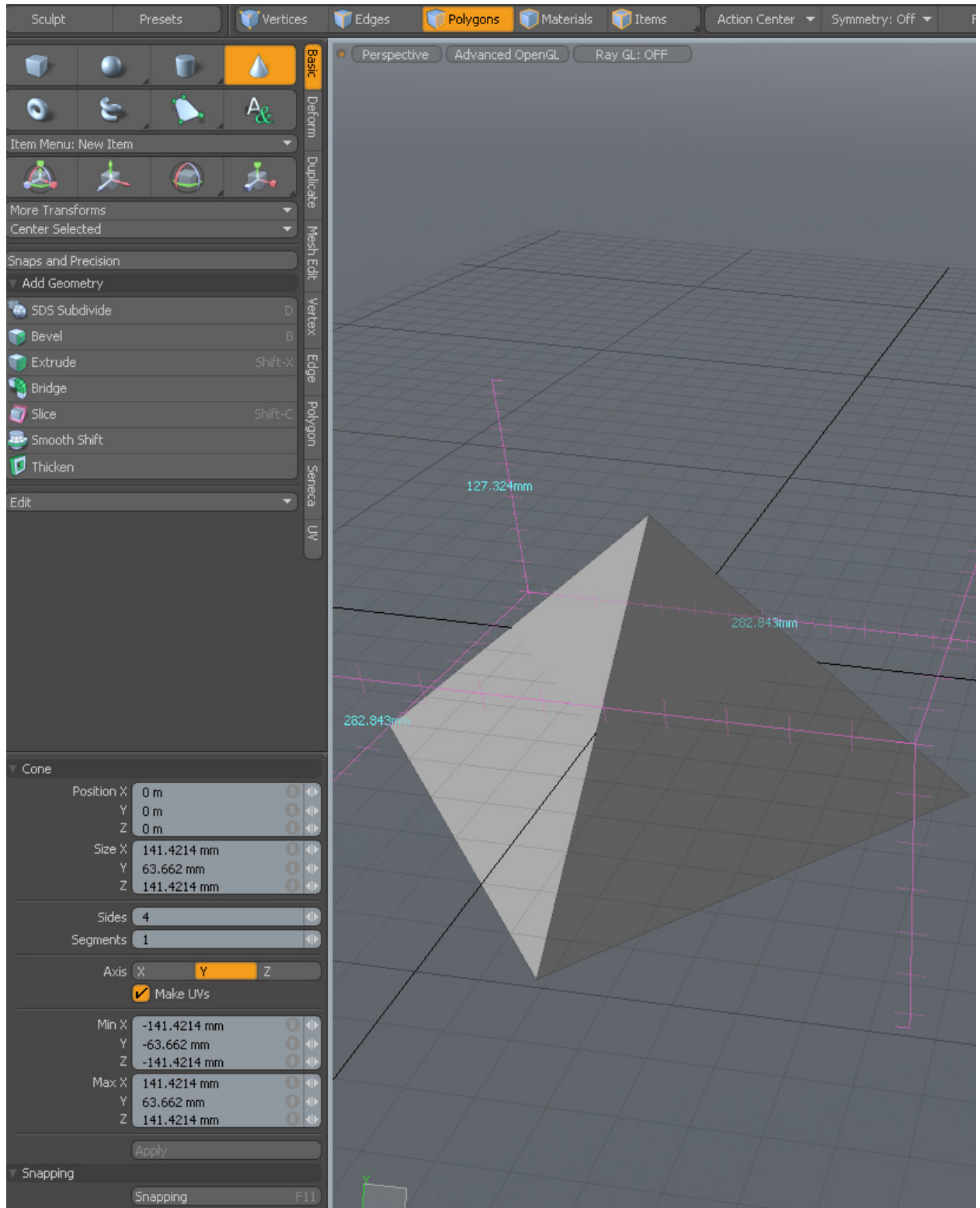
138,8 meters (455 Ft.), contemporary

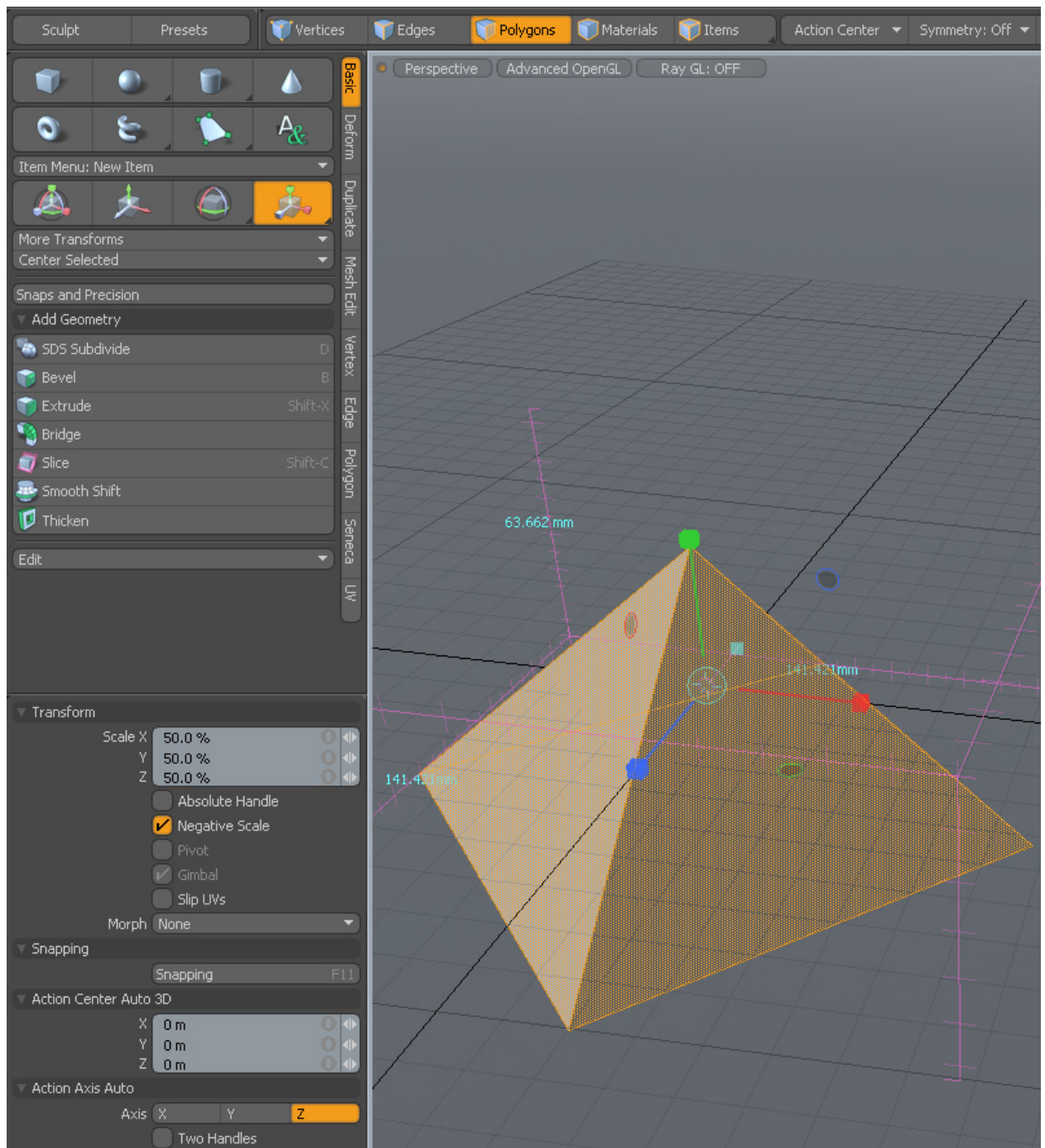
Base – 230,4 meters (756 ft.)

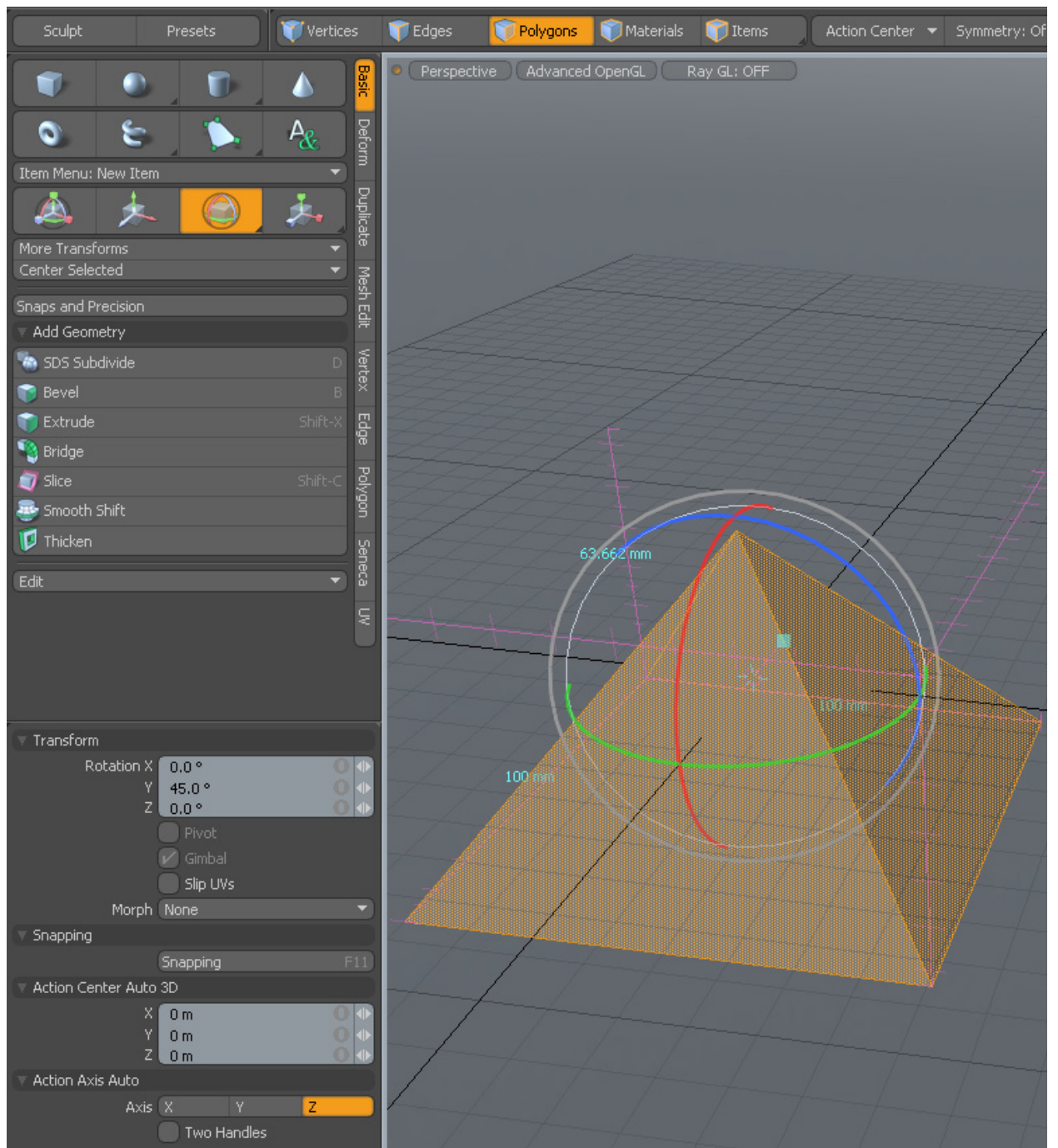
Ratio = $\frac{Base}{H} = \frac{230,4}{146,5} = 1,5726962457337883959044368600683$ - imprecision associated with the measurements.

$$\begin{aligned} \text{Our ratio} &= \frac{Base}{H} = \frac{Base \text{ (length edge 100)}}{R_H} = \frac{100}{63,661977236758134307553505349006} = \\ &= 1,5707963267948966192313216916399 \end{aligned}$$

Enter these values and apply scaling and rotation, as done for the previous pyramid.







Deselect all polygons and ready

